

Mansoura University Faculty of Engineering

Digital Image Processing Spring Semester Exam.





Biomedical Engineering Program - Level 300 Communications & Information Engineering Program – Level 400

Exam Date: 5-6-2016 Allowed Time: 2 Hours

Attempt all questions. Assume any missed data. Full mark is 50

Q.1.a) Correct the errors, if any, in each of the following statements:

[5 Marks]

إذا كانت الجملة صحيحة يكتب رقم الجملة وعلامة ($\sqrt{}$) فقط أمامها، أما إذا كانت الجملة خطأ فتوضع علامة (x) أمام رقم الجملة، وتعاد كتابة الجملة كاملة بعد تصحيحها.

- a. Most color images have a small subset of the more than sixteen million possible colors.
- b. The greater the spatial resolution, the less pixels are used to display the image.
- c. Solarization of a grey-scale image is its photographic negative.
- d. In a dark image, the grey levels (hence, the histogram) would be clustered at the lower end.
- e. High frequency components are characterized by large changes in grey values over small distances.
- f. It is more efficient to use the spatial filter than Fourier transform for a large filter.
- g. Gaussian noise can be caused by sharp, sudden disturbances in the image.
- h. Periodic noise can be cleaned by using spatial filtering techniques.
- i. Median filtering seems almost tailor-made for removal of speckle noise.
- Double thresholding brings out subtle features which single thresholding would be unable to do.
- k. In a step edge, the grey values change slowly.
- I. Hue is the amount by which the color has been diluted with white.

Q.2) Give a short answer to each of the following questions:

[15 Marks]

- i. "Recently, diagnosis and treatment of several diseases can be improved using image processing". Justify this statement supporting your answer with examples.
- ii. "Image processing operations may be divided into three classes based on the information required to perform the transformation". Justify this statement and give an example for each class.
- iii. "Inverse filtering may lead to errors in the filtered image". Explain the concept of inverse filtering and the procedures that must be followed to overcome its disadvantages.
- iv. "Thresholding can be useful in many situations". Justify this statement. In which situations will adaptive thresholding be applied?
- v. "A color model is a method for specifying colors in some standard way". Discuss the main three color models that are commonly used.

Q.3.a) Given an original image 'coins.tif' and a degraded version as shown in figure. What does the second image suffer from? Suggest a solution using a well commented MATLAB code segment. Enhance the original image using histogram equalization. [5 Marks]





Q.3.b) Given a 5x5 image, X, and a Laplacian edge detector, H

$$X = \begin{bmatrix} 115 & 110 & 105 & 105 & 350 \\ 105 & 100 & 100 & 100 & 355 \\ 100 & 140 & 120 & 100 & 350 \\ 110 & 130 & 145 & 115 & 345 \\ 120 & 130 & 130 & 125 & 345 \end{bmatrix}$$

$$\mathcal{E} \qquad H = \begin{bmatrix} +1 & +1 & +1 \\ +1 & -8 & +1 \\ +1 & +1 & +1 \end{bmatrix}$$

Apply the given edge detector to the image? Modify values outside the range [0-255]. Then, apply a suitable threshold to transform the resulting image into a binary one. [5 Marks]

Q.3.c) Derive the parametric form of a straight line in an image. Use the Hough transform to detect the two strongest lines in the binary image shown below. [10 Marks]

				X			
	0	1	2	3	4	5	6
0	1	1	1	0	1	1	0
1	0	0	0	0	1	0	0
2	0	0	0	. 1	0	0	0
3	0	0	0	0	0	0	0
4	0	1	0	0	0	1	0
5	1	0	0	0	0	0	0
6	0	0	0	0	0	0	0

Q.3.a) The shown 3-bit grey scale image has values in the range 0 to 7.

- i. Sketch the histogram of this image. What do you expect about the appearance of this image?
- ii. Equalize this histogram. Sketch the result.
- iii. Determine the entropy of the original image.
- iv. Construct a Huffman code for the original image.
- v. Determine the average bits/pixel for your code. Comment on results. [15 Marks]

0	1	1	3	4	5
10	0	2		4	-

Q.4.b) Encode the following *binary* image using RLE. Use two different methods.

[5 Marks]

$$\begin{bmatrix} 1 & 1 & 1 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 & 1 & 1 \\ 0 & 0 & 1 & 1 & 0 & 0 \\ 1 & 0 & 1 & 0 & 0 & 0 \end{bmatrix}$$